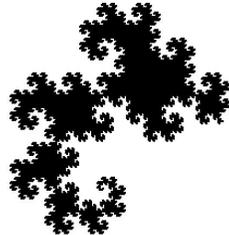


Computer programming the Dragon Curve with Lux Blox

That's right – no computer required.



Description:

The dragon curve is a fractal that can be created by folding paper over and over again and then unfolding and arranging it through a series of Left and Right orthogonal turns. The problem with creating many iterations through folding is that the folds become too rounded as they increase and no one has an infinitely long strip of paper. (They can be created through drawing (see links below).

With Lux, the limitation of paper length and fold with are no longer. Using color to code right and left turns you can create as many iterations you would like (of course with the limitation being the number of pieces.)

How to do this with Lux:

Let's start with some rules here:

Blue = Right turn (r)

Orange = Left turn (l)

The first piece will be white

You will need 2^n number of pieces where n is the number of iterations

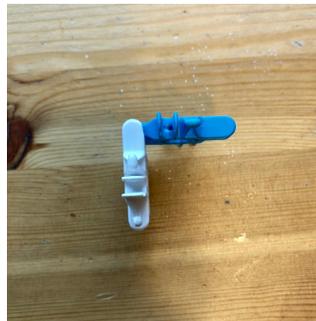
Iteration 1:

Number of pieces:

2 or 2^1

Steps:

r

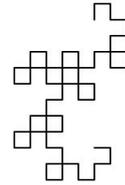
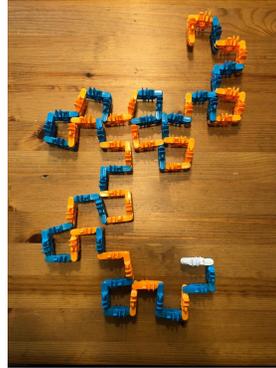


Iteration 6:

Number of pieces:
64 or 2^6

Steps:

```
rrlrrllrrrllrllrrrlrrlllrrllrll  
rrrlrrllrrrllrlllrrlrrlllrrllrll
```

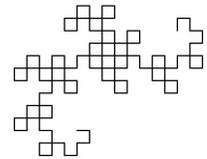


Iteration 7:

Number of pieces:
128 or 2^7

Steps:

```
rrlrrllrrrllrllrrrlrrlllrrllr  
llrrrlrrllrrrllrlllrrlrrlllrr  
llrllrrrlrrllrrrllrllrrrlrrll  
lrrllrlllrrlrrllrrrllrlllrrlr  
rlllrrllrll
```

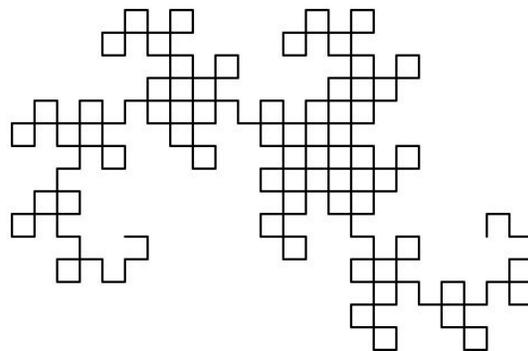


Iteration 8:

Number of pieces:
256 or 2^8

Steps:

```
rrlrrllrrrllrllrrrlrrlll  
rrllrllrrrlrrllrrrllrlll  
rrlrrlllrrllrllrrrlrrllr  
rrllrllrrrlrrlllrrllrlll  
rrlrrllrrrllrlllrrlrrlll  
rrllrllrrrlrrllrrrllrllr  
rrlrrlllrrllrllrrrlrrllr  
rrllrlllrrlrrlllrrllrlll  
rrlrrllrrrllrllrrrlrrlll  
rrllrlllrrlrrllrrrllrlll  
rrlrrlllrrllrll
```



Helpful hints for classrooms:

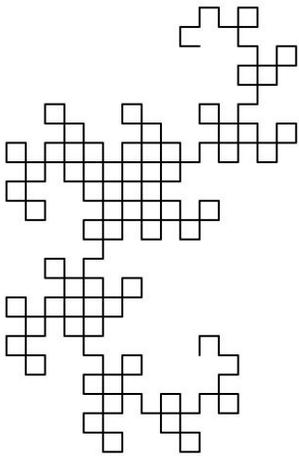
For many students, break up the string of steps and have each student (or pair of students) put together a strand. Making sure you keep the student's strands in order, they can be placed back together. A table is helpful for this.

Example:

For 7 iterations:

| Name | Strand | number |
|-------|------------------------|--------|
| Opal | rrlrrllrrrllrll | 1 |
| Jim | rrrlrrlllrrllrl | 2 |
| Molly | lrrrlrrllrrrllr | 3 |
| Henry | lllrrlrrlllrrll | 4 |
| Mike | rllrrrlrrllrrrl | 5 |
| Ellen | lrllrrrlrrlllrr | 6 |
| Marie | lrlllrrlrrllrr | 7 |
| Lucy | rllrlllrrlrrlllrrllrll | 8 |

Iterations (what patterns do you see emerging here?):

| Iteration | Pieces | Steps | Picture |
|-----------|-------------|---|---|
| 1 | $2^1 = 2$ | r | See above |
| 2 | $2^2 = 4$ | rrl | See above |
| 3 | $2^3 = 8$ | rrlrrll | See above |
| 4 | $2^4 = 16$ | rrlrrllrrrllrll | See above |
| 5 | $2^5 = 32$ | rrlrrllrrrllrllrrrllrrllrrllrll | See above |
| 6 | $2^6 = 64$ | rrlrrllrrrllrllrrrllrrllrrllrllr rrlrrllrrrllrllrrrllrrllrrllrll | See above |
| 7 | $2^7 = 128$ | rrlrrllrrrllrllrrrllrrllrrllrllr rrlrrllrrrllrllrrrllrrllrrllrllr rrlrrllrrrllrllrrrllrrllrrllrll rrlrrllrrrllrllrrrllrrllrrllrll | See above |
| 8 | $2^8 = 256$ | rrlrrllrrrllrllrrrllrrllrrllrllr rrlrrllrrrllrllrrrllrrllrrllrllr rrlrrllrrrllrllrrrllrrllrrllrll rrlrrllrrrllrllrrrllrrllrrllrllr rrlrrllrrrllrllrrrllrrllrrllrllr rrlrrllrrrllrllrrrllrrllrrllrll rrlrrllrrrllrllrrrllrrllrrllrll rrlrrllrrrllrllrrrllrrllrrllrll | See above |
| 9 | $2^9 = 512$ | rrlrrllrrrllrllrrrllrrllrrllrllr rrlrrllrrrllrllrrrllrrllrrllrllr rrlrrllrrrllrllrrrllrrllrrllrll rrlrrllrrrllrllrrrllrrllrrllrllr rrlrrllrrrllrllrrrllrrllrrllrllr rrlrrllrrrllrllrrrllrrllrrllrll rrlrrllrrrllrllrrrllrrllrrllrll rrlrrllrrrllrllrrrllrrllrrllrllr rrlrrllrrrllrllrrrllrrllrrllrllr rrlrrllrrrllrllrrrllrrllrrllrllr rrlrrllrrrllrllrrrllrrllrrllrll rrlrrllrrrllrllrrrllrrllrrllrllr rrlrrllrrrllrllrrrllrrllrrllrllr rrlrrllrrrllrllrrrllrrllrrllrll rrlrrllrrrllrllrrrllrrllrrllrll rrlrrllrrrllrllrrrllrrllrrllrll |  |

